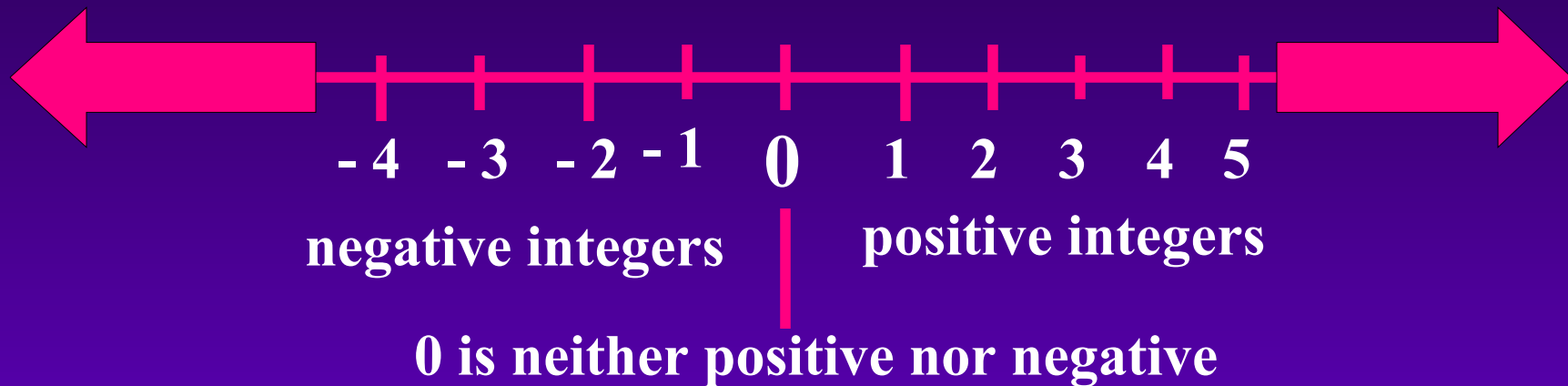


# INTEGERS

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**INTEGERS INCLUDE POSITIVE WHOLE NUMBERS, NEGATIVE WHOLE NUMBERS, AND ZERO**



**A number line can be used to illustrate integers**

# Integers

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**Integers are used in many everyday applications**

## **NEGATIVES**

**below zero**  
**below par**  
**below**  
**debts**  
**loss**  
**withdrawal**  
**net loss**

**Weather**  
**golf**  
**sea level**  
**business**  
**body mass**  
**bank account**  
**stock market**

## **POSITIVES**

**above zero**  
**above par**  
**above**  
**earnings**  
**gain**  
**deposit**  
**net gain**

**Positive integers reflect a step forward while negative integers reflect a step backward.**

**Each integer has an opposite.**

**Positive four and negative four are opposite  
+ 4 and - 4 are opposite**

**Ten degrees below zero is - 10**

**Ten degrees above zero is + 10**

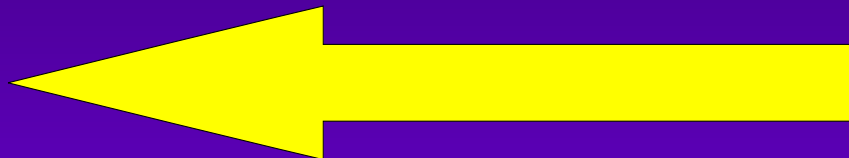
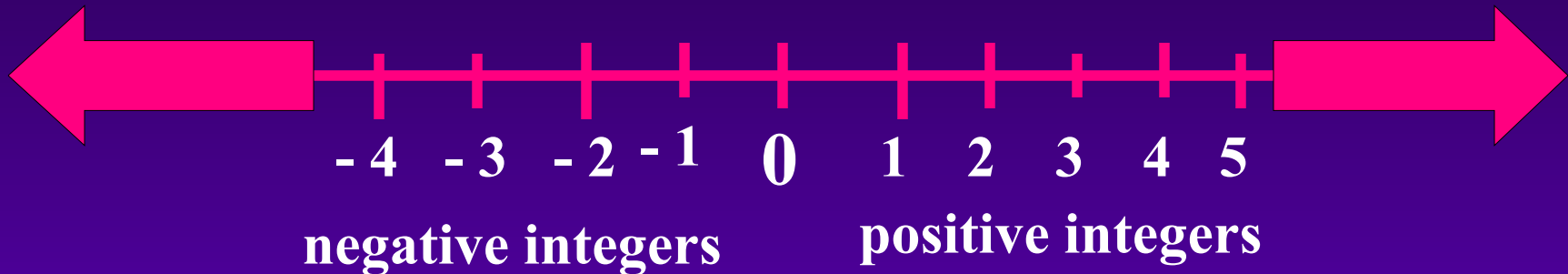
**A profit of \$100 is + 100**

**A loss of \$100 is - 100**

# INTEGERS

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Integers increase in value as you move right along the number line.



Integers decrease in value as you move left along the number line

# ADDING INTEGERS

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So as not to confuse *integer indicator symbols* with *operation signs*, place a set of brackets around each integer.

Positive 6 would look like (+6)

Negative 6 would look like (-6)

$$(+7) + (+4) = (+11) \quad \text{A gain of 7 added to a gain of 4 results in a gain of 11}$$

$$(+5) + (-2) = (+3) \quad \text{A gain of 5 added to a loss of two results in a gain of 3}$$

$$(-8) + (+4) = (-4) \quad \text{A loss of 8 added to a gain of 4 results in a loss of 4}$$

$$(-6) + (-3) = (-9) \quad \text{A loss of six added to a loss of 3 results in a loss of 9}$$

# SUBTRACTING INTEGERS

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## ADDING THE OPPOSITE

$$(+7) - (-3)$$

to add the opposite, change the second integer to its opposite and change the operation sign to addition.

$$(+7) + (+3) = (+10)$$

# Examples

$$(-8) - (+6) = (-14)$$

A gain of 6 subtracted from a loss of 8 results in a loss of 14

$$(-5) - (-4) = (-1)$$

A loss of 4 subtracted from a loss of 5 results in a loss of 1

$$(-12) - (-15) = (+3)$$

A loss of 15 subtracted from a loss of 12 results in a gain of 3

# MULTIPLYING INTEGERS

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## FAST AND EASY RULES FOR MULTIPLYING INTEGERS

**Multiply the numbers like you would whole numbers**

*positive* x *positive* results in *positive*

*positive* x *negative* results in *negative*

*negative* x *positive* results in *negative*

*negative* x *negative* results in *positive*

How to  
determine what  
sign your  
answer will  
have



## Examples

$$(+8) \times (+5) = (+40)$$

$$(+3) \times (-4) = (-12)$$

$$(-6) \times (+6) = (-36)$$

$$(-5) \times (-4) = (+20)$$

# DIVIDING INTEGERS

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## FAST AND EASY RULES FOR DIVIDING INTEGERS

Divide the numbers like you would whole numbers

*positive*  $\div$  *positive* results in *positive*

*positive*  $\div$  *negative* results in *negative*

*negative*  $\div$  *positive* results in *negative*

*negative*  $\div$  *negative* results in *positive*

How to  
determine what  
sign your  
answer will  
have

## Examples

$$(+20) \div (+5) = (+4)$$

$$(+30) \div (-3) = (-10)$$

$$(-24) \div (+6) = (-4)$$

$$(-56) \div (-4) = (+16)$$

# INTEGERS IN STANDARD FORM

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Integers have two signs, a sign of *quality* telling us whether the integer is positive or negative, and a sign of *operation*, telling us how to combine the integers

sign of operation

$$(-8) - (+6) = (-14)$$

sign of quality

**Any integer not having a quality sign attached to it is considered to be positive.**

$$4 + (-6) = (-2)$$

$$-4 - 6 = -10$$

$$-6 \times 4 = -24$$

$$24 \div (-6) = -4$$

# SCIENTIFIC NOTATION

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## LARGE NUMBERS

*Scientific notation* is a short way that scientists use to write down very large or very small numbers. It involves the use of decimals and powers of ten.

For a very large number, place a decimal point between the first and second digits. Multiply your new number by the power of ten that moves the decimal the correct number of places to make your number a whole number again.

## **Example**

**Write 150,000 in  
scientific notation**

**It becomes  $1.5 \times 10^5$**

**Write 8,700 in scientific  
notation**

**It becomes  $8.7 \times 10^3$**

# SCIENTIFIC NOTATION

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## SMALL NUMBERS

The procedure is similar for very small numbers. Place a decimal point between the *first two non-zero* digits and multiply by the power of ten that moves the decimal the correct number of spaces to the *left*.

0.0037 becomes  $3.7 \times 10^{-3}$

0.000 000 12 becomes  $1.2 \times 10^{-7}$